## Introduction

## Newton on his bitter rival Hooke:

"This carriage towards me is very strange \& undeserved, so that I cannot forbeare in stating that point of justice to tell you further ... he should rather have excused himself by reason of his inability. For tis plain by his words he knew not how to go about it."

## Syllabus Change

Drop $\$ 13.8$ - Rolling MotionInclude the Angular Velocity Vector sub-section of $\S 13.9$.

- The rest of this section continues to be dropped
$\square$ Mechanics Home Page and Syllabus pdf have been updated


## Coming Up

This week: finish Chapt. 11 Work and discuss Chapt. 13 Rotation of a Rigid BodyMonday October 31: review for the test

- The pdf of the PowerPoint will be released this WednesdayTuesday November 1,6-7:30PM: TestWednesday November 2: Dr. Harlow \& I will discuss a laboratory topic: Error Analysis
- Monday November 7: Waves Section with Dr Harlow begins


## Test \#1

Reminder: if you have a conflict with Tuesday November 1, 6:00-7:30 PM today is the last day to see Dr. Savaria or Ms. Seeley in MP129
$\square$ Format set:

- 8 Multiple-Choice questions worth 8 marks each
- 1 Long Answer with 6 Parts (36 marks total)
$\qquad$


## Last Time $1 / 2$



- Dot Product
$W_{\text {net }}=\Delta K$ alwaysSprings
- $F_{s}=-k s$
- $\mathrm{U}_{\mathrm{s}}=1 / 2 \mathrm{ks}^{2}$


## Last Time $2 / 2$

$\square$ Conservative Forces (gravity, springs):

- W independent of path
- Potential for work to be done: potential energy $U$
- $W=-\Delta U$
- $E_{\text {mech }}=K+U$ conserved
- $\mathrm{F}_{\mathrm{x}}=-\mathrm{dU} / \mathrm{dx}$
$\square$ Non-Conservative Forces (friction):
- W depends on path
- U can not be defined
$\square$ Isolated System: $E_{\text {tot }}$ always conserved
- Heat is a form of energy (Mayer, 1842): observed the color of blood of people in Europe and Indonesia



## Today

$\square$ Power

- Basal Metabolism
$\square$ Rotational Kinematics
$\square$ Centre of MassTorque


## Metabolism

$\square$ Basal (Resting) Metabolic Rate (bmr)
$\square$ Body radiates energy at a rate: $\mathrm{dE} / \mathrm{dt}$
$\square$ At equilibrium: $b m r=d E / d t$
$\square$ Surface area $A: d E / d t=k A$
$\square$ Dimensional analysis for mass $m$ : $\mathrm{bmr}=\mathrm{cm}^{2 / 3}$
$\square$ Experimentally: $\mathrm{bmr}=\mathrm{cm}^{3 / 4}$
Figure 13.18


